



Universal behaviour of transverse momentum distributions of mesons and baryons in the framework of percolation of strings

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Universality of transverse momentum distributions

- Introduction
- Universal p_T distribution
- The case of antibaryons(baryons)
- R_{AA}, R_{CP} at RHIC and LHC
- pp
- Conclusions

Introduction

- Overlapping of strings forms clusters in transverse space.
- Each cluster has different color field \longrightarrow different tension

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$$\langle \mu \rangle_n = \sqrt{\frac{nS_n}{S_1}} \langle \mu \rangle_1 \quad \langle p_T^2 \rangle_n = \sqrt{\frac{nS_1}{S_n}} \langle p_T^2 \rangle_1$$

- At high densities

- $\langle \mu \rangle_n = nF(\eta) \langle \mu \rangle_1 \quad \langle p_T^2 \rangle_n = \frac{\langle p_T^2 \rangle_1}{F(\eta)}$

- $F(\eta) = \sqrt{\frac{1-e^{-\eta}}{\eta}}, \quad \eta = N_S \frac{\pi r_0^2}{S_A}$

- r_0 is the transverse size of a single string $\simeq 0.2$ fm.

Universal p_T distribution

- p_T distributions will be the superposition of p_T distributions of clusters, each with a tension which depends on the number of strings of the cluster and its surface.

- $$f(p_T) = \int dx W(x) f(x, p_T)$$

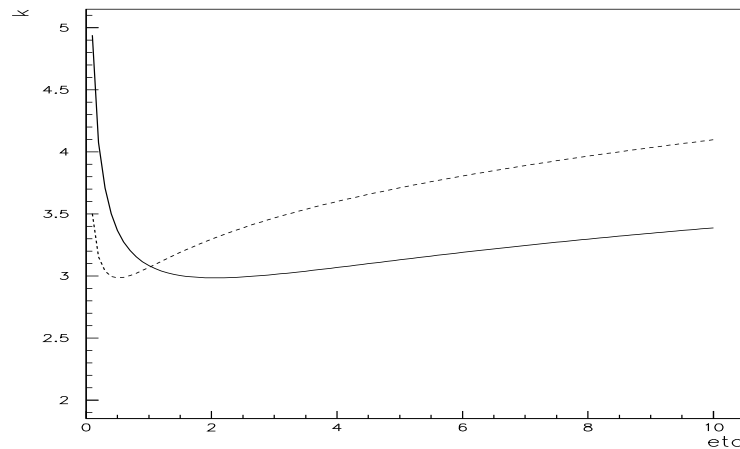
- $f(x, p_T)$ is the p_T distribution of cluster x

$$f(x, p_T) \simeq e^{-x p_T^2}$$

- $W(x)$ is the cluster size distribution

$$W(x) \simeq x^{k-1} e^{-k \frac{x}{\langle z \rangle}}$$

Universal p_T distribution



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$$\frac{1}{k} = \frac{\langle x^2 \rangle - \langle x \rangle^2}{\langle x \rangle^2}$$

low density (only clusters of one string, $k \longrightarrow \infty$)

very high density (one cluster with all strings, also $k \longrightarrow \infty$)

- This behaviour also explains the multiplicity and transverse momentum dynamical correlations.

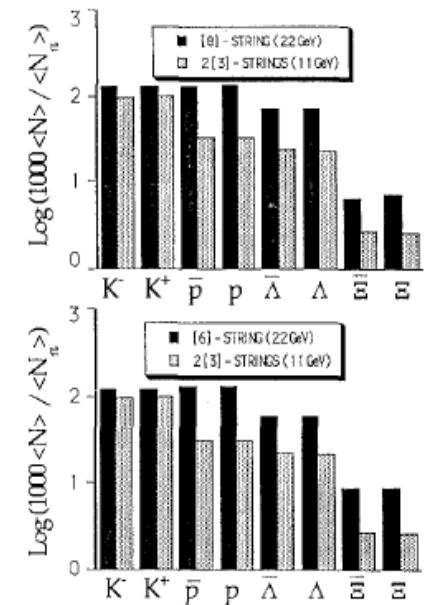
Universal p_T distribution

- $$f(p_T, y) = \frac{dN}{dy} \frac{(k-1)F(\eta)}{k \langle p_T^2 \rangle_{1i}} \frac{1}{\left(1 + \frac{F(\eta)p_T^2}{k \langle p_T^2 \rangle_i}\right)^k}$$
- At low density $F(\eta) \longrightarrow 1, k \longrightarrow \infty, f(p_T, y) \simeq e^{-\frac{p_T^2}{\langle p_T^2 \rangle_i}}$
- At very high density, $k \longrightarrow \infty, f(p_T, y) \simeq e^{-\frac{p_T^2}{F(\eta) \langle p_T^2 \rangle_i}}$

Universal p_T distribution

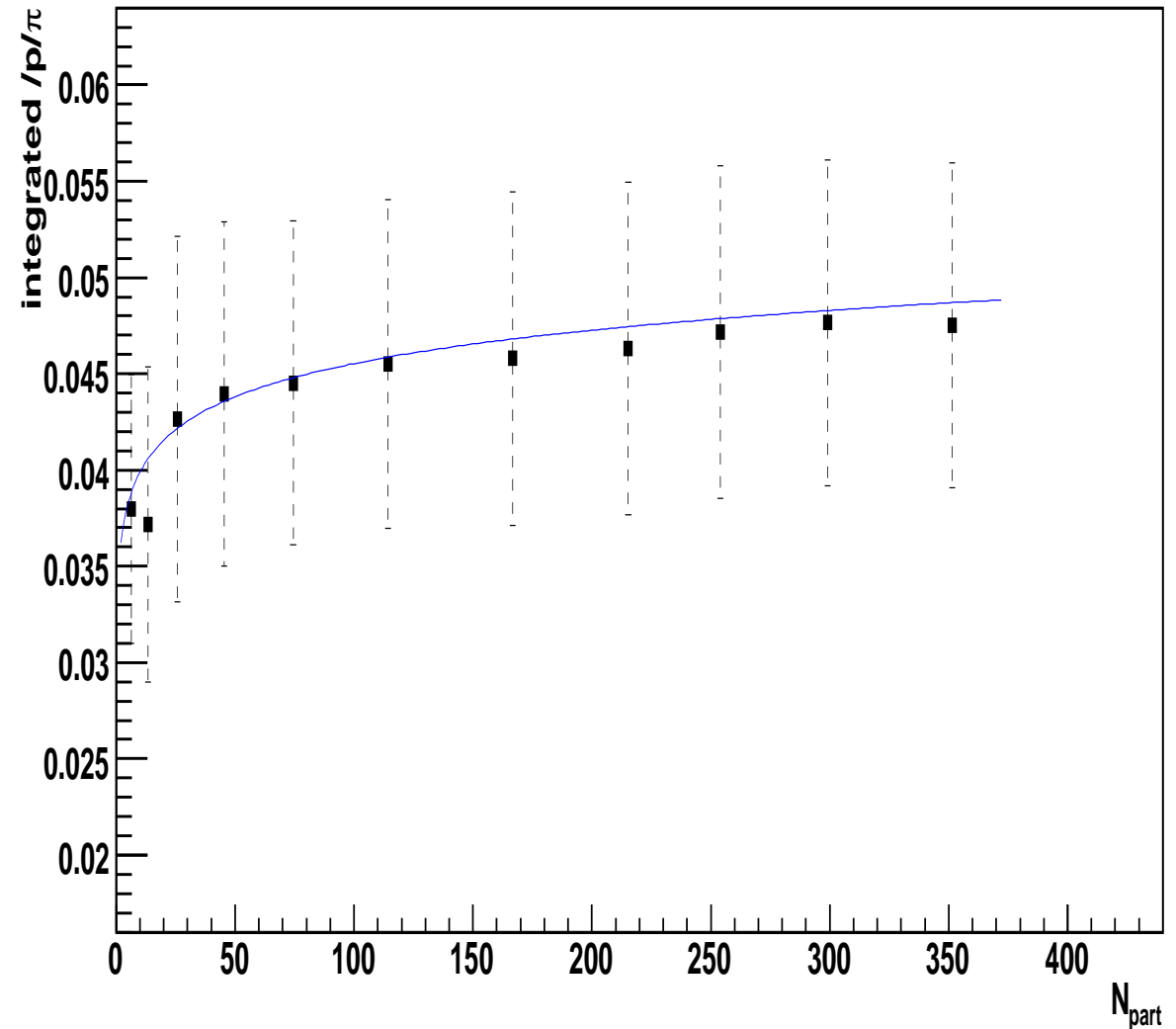
- A cluster composed of several $q-\bar{q}$ strings behaves as a $Q-\bar{Q}$ string with flavour composed of the flavour of the individual strings.
- The fragmentation is via the successive creation of pair parton complexes $Q-\bar{Q}$ until to come to masses comparable to observable hadrons.
- In this way, **antibaryons(baryons)** are enhanced over mesons.

Hadron content of the double $u\bar{u}-uu$ string decay
Relative to π^- mean particle numbers

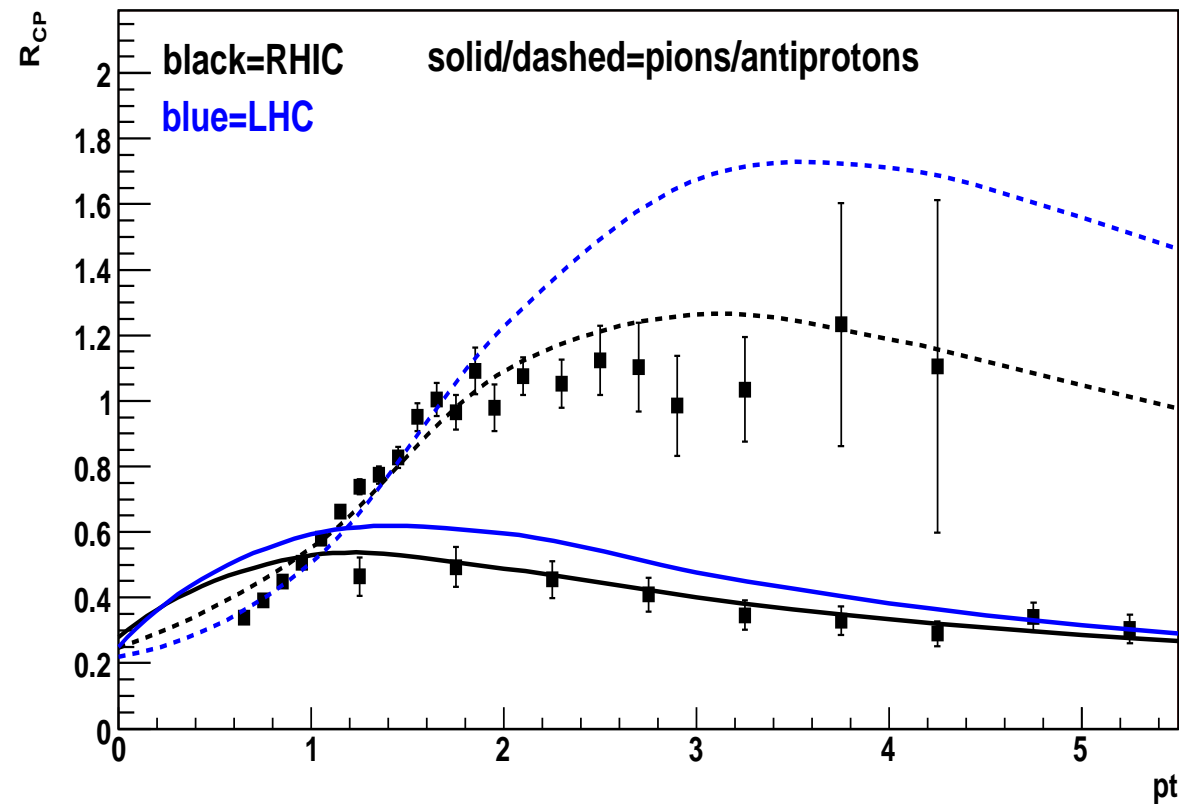


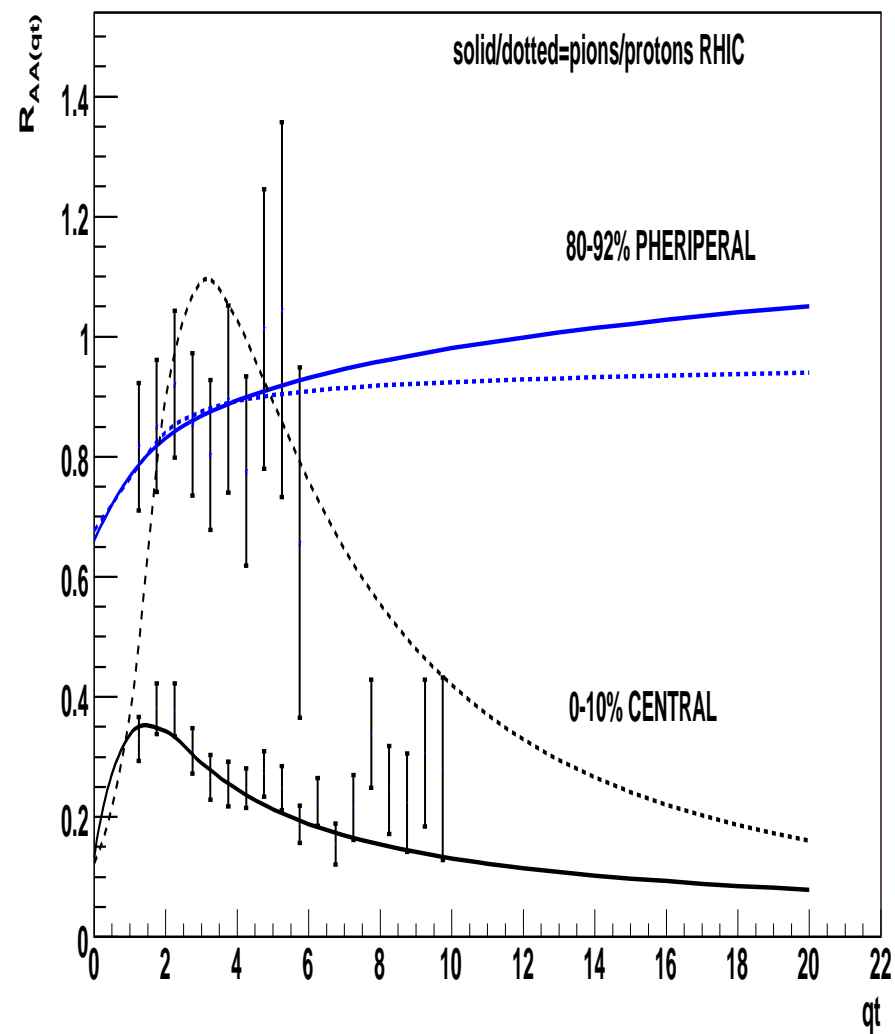
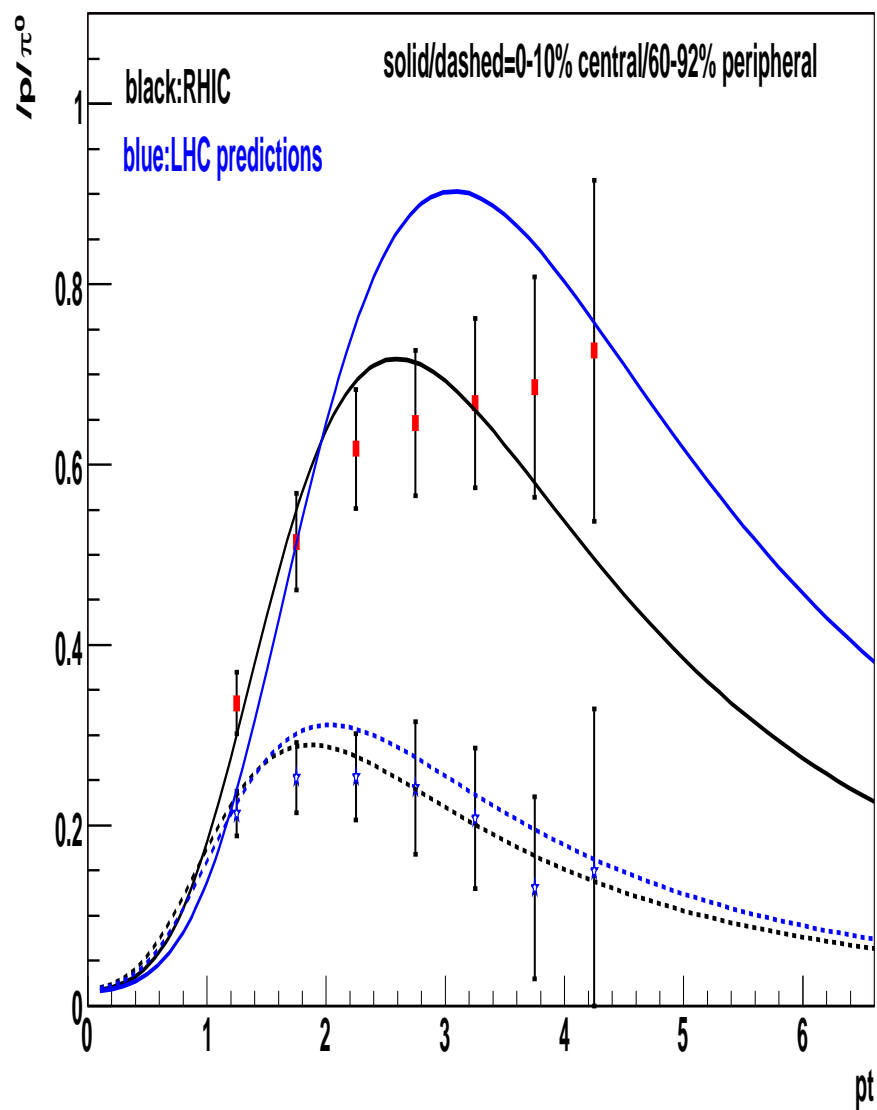
Universal p_T distribution

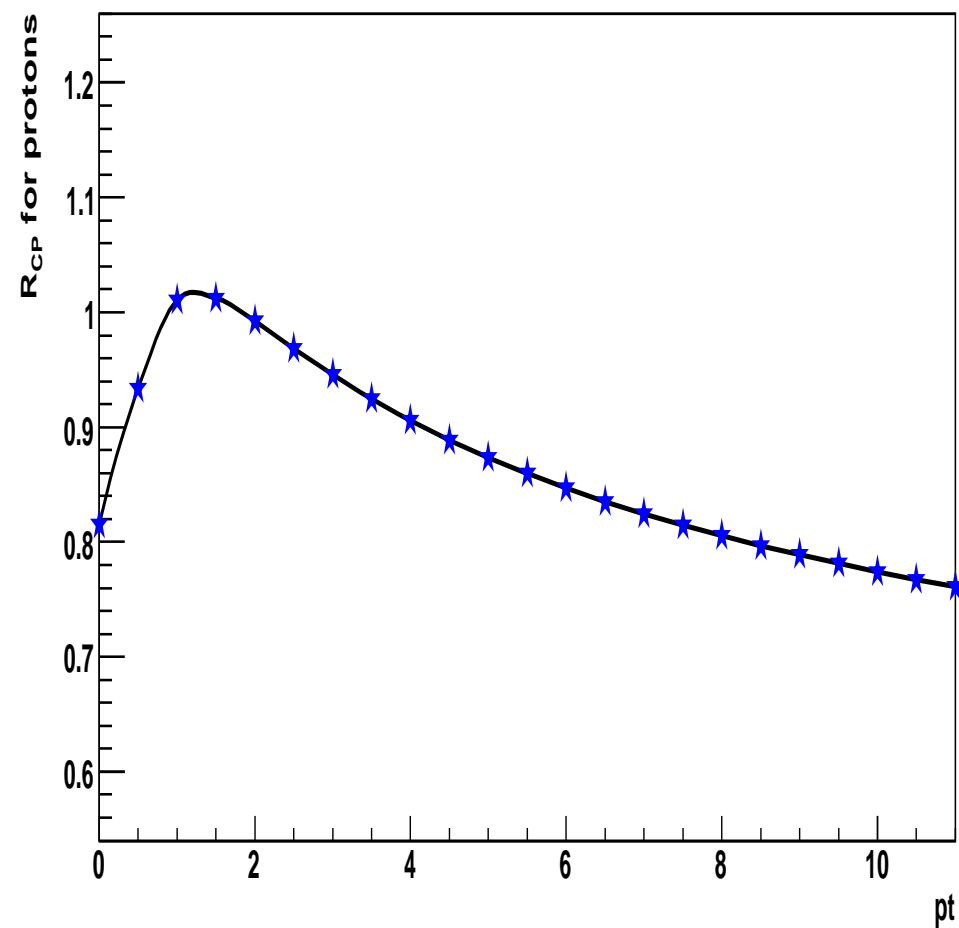
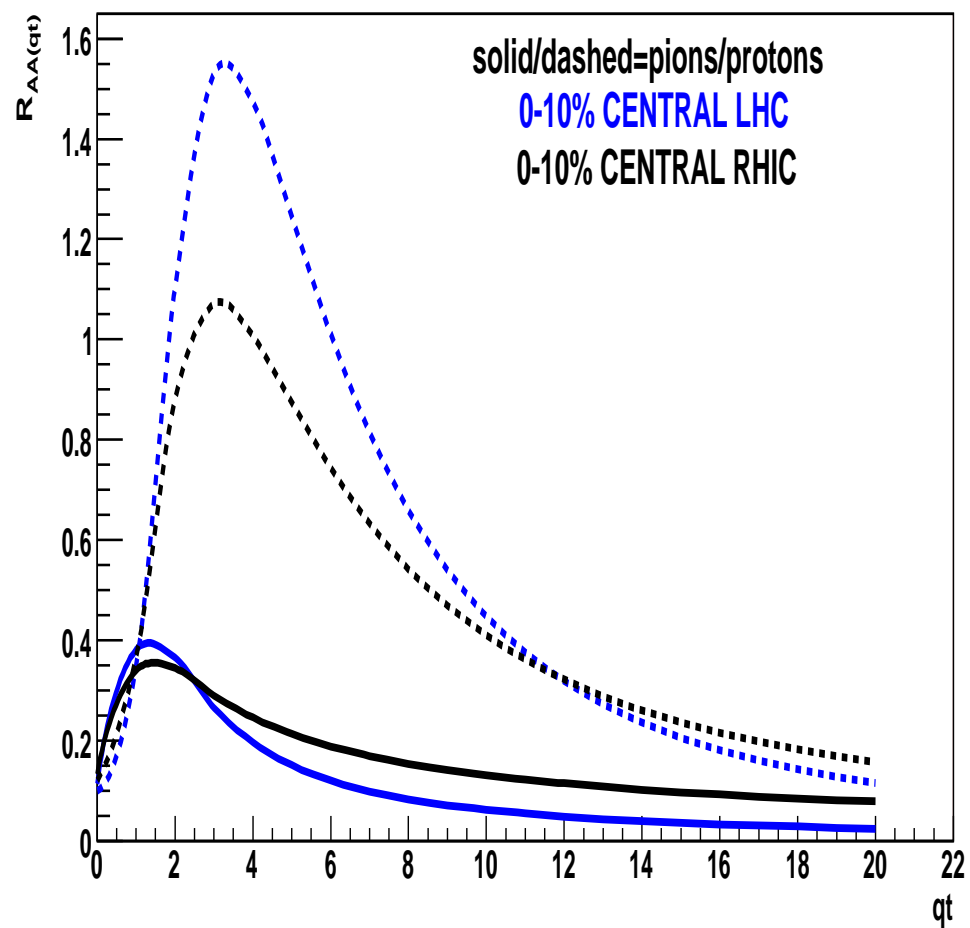
- $\mu_{\overline{B}} = N_S^{1+\alpha} F(\eta_{\overline{B}}) \mu_1^{\overline{B}}$
- $\mu_M = N_S F(\eta) \mu_1^M$
- From the dependence on N_{part} of $\frac{\overline{p}}{\pi}$ we obtain $\alpha = 0.09$



- (Anti)baryons probe higher densities than mesons
- $\eta \longrightarrow \eta_{\overline{B}} = N_S^\alpha \eta$
- $k_B = k(\eta_B) + 1$
(constituent counting rules)







CONCLUSIONS

- A good description is obtained for mesons and baryons
- Cronin effect is enhanced for baryons in central collisions (R_{AA} and R_{CP})
- Percolation of strings incorporates naturally two effects: strong color fields, recombination or coalescence.
- pp for central collisions reach high density matter $\longrightarrow p_T$ suppression